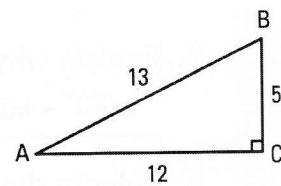


**1.** Consider the right triangle ABC.

a) Determine the following ratios.

$$\begin{array}{lll} 1. \sin A = \frac{5}{13} & 2. \cos A = \frac{12}{13} & 3. \tan A = \frac{5}{12} \\ 4. \sec A = \frac{13}{12} & 5. \csc A = \frac{13}{5} & 6. \cot A = \frac{12}{5} \end{array}$$



b) Verify the trigonometric identities.

$$1. \sin^2 A + \cos^2 A = 1 \quad \left( \frac{5}{13} \right)^2 + \left( \frac{12}{13} \right)^2 = 1$$

$$2. 1 + \tan^2 A = \sec^2 A \quad 1 + \left( \frac{5}{12} \right)^2 = \left( \frac{13}{12} \right)^2$$

$$3. 1 + \cot^2 A = \csc^2 A \quad 1 + \left( \frac{12}{5} \right)^2 = \left( \frac{13}{5} \right)^2$$

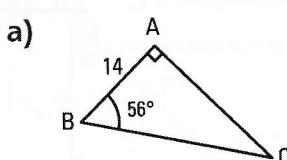
c) Verify that

$$1. \tan A = \frac{\sin A}{\cos A} = \frac{5}{12} = \frac{\frac{5}{13}}{\frac{12}{13}} \quad 2. \cot A = \frac{\cos A}{\sin A} = \frac{12}{5} = \frac{\frac{12}{13}}{\frac{5}{13}}$$

d) Verify that

$$1. \sin A = \cos B \quad 2. \cos A = \sin B \quad 3. \tan A = \cot B$$

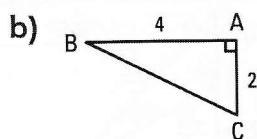
**2.** Solve the following triangles (round the measures of the sides and angles to the nearest tenth).



$$m\overline{AC} = 20.8$$

$$m\overline{BC} = 25.0$$

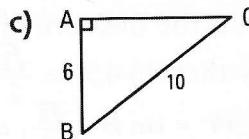
$$m\angle C = 34^\circ$$



$$m\overline{BC} = 4.5$$

$$m\angle B = 26.6^\circ$$

$$m\angle C = 63.4^\circ$$



$$m\overline{AC} = 8$$

$$m\angle B = 53.1^\circ$$

$$m\angle C = 36.9^\circ$$

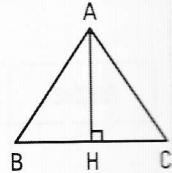
## ACTIVITY 2 Remarkable angles: $0^\circ, 30^\circ, 45^\circ, 60^\circ, 90^\circ$

a) The triangle ABC on the right is equilateral, with each side measuring 1 unit.

We have drawn the altitude AH.

1. Explain why  $m\overline{BH} = 0.5$  u.

*In an equilateral triangle, the altitude AH is also a median.*



2. Explain why  $m\angle ABC = m\angle BAC = m\angle ACB = 60^\circ$ .

*In an equilateral triangle, each angle measures  $60^\circ$ .*

3. Explain why  $m\angle BAH = 30^\circ$ .

*In an equilateral triangle, the altitude AH is also a perpendicular bisector.*

4. Refer to the triangle ABH to show that  $\sin 30^\circ = \frac{1}{2}$ .

$$\sin 30^\circ = \frac{0.5}{1} = \frac{1}{2}$$